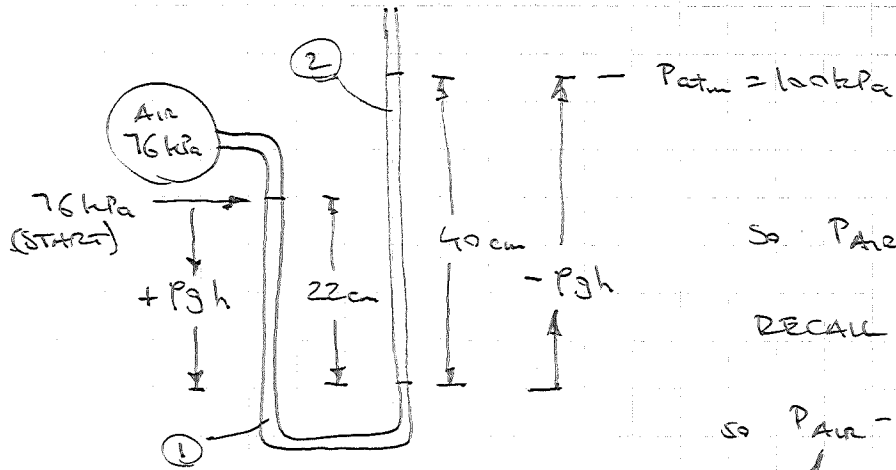


#1 (3-48).



$$\text{So } P_{\text{air}} + \rho_1 g h_1 - \rho_2 g h_2 = P_{\text{atm}}$$

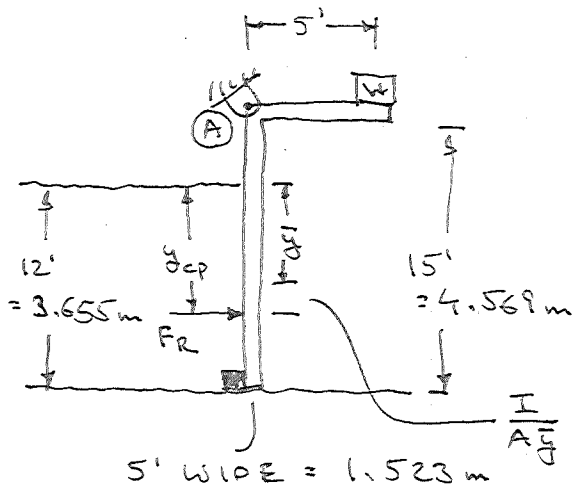
$$\text{RECALL: } \rho_f = (SG)(\rho_w)$$

$$\text{So } P_{\text{air}} - P_{\text{atm}} = (SG_2)(\rho_w) g h_2 - (SG_1)(\rho_w) g h_1$$

$76 \times 10^3 \text{ Pa}$      $100 \times 10^3 \text{ Pa}$     ?     $13.55 \frac{\text{kg}}{\text{m}^3}$      $40 \times 10^{-2} \text{ m}$      $13.55$      $1000 \frac{\text{kg}}{\text{m}^3}$      $9.81 \text{ m/s}^2$      $22 \times 10^{-2} \text{ m}$

ANSWER:  $1.34 = SG_2$

#2 (3-68E)



THE SUBMERGED PART OF THE GATE IS  
RECTANGULAR WITH:

$$A = (3.655)(1.523) = 5.566 \text{ m}^2$$

$$I = \frac{bh^3}{12} = \frac{(1.523)(3.655)^3}{12} = 6.197 \text{ m}^4$$

$$\bar{y} = \frac{3.655}{2} = 1.828 \text{ m}$$

$$p = \rho g \bar{y} = (1000)(9.81)(1.828) = 17,932.68 \text{ N/m}^2$$

$$F_R = pA = (17932.68)(5.566) = 99,813.3 \text{ N.}$$

$$\frac{I}{A\bar{y}} = \frac{6.197}{(5.566)(1.828)} = 0.609 \text{ m}$$

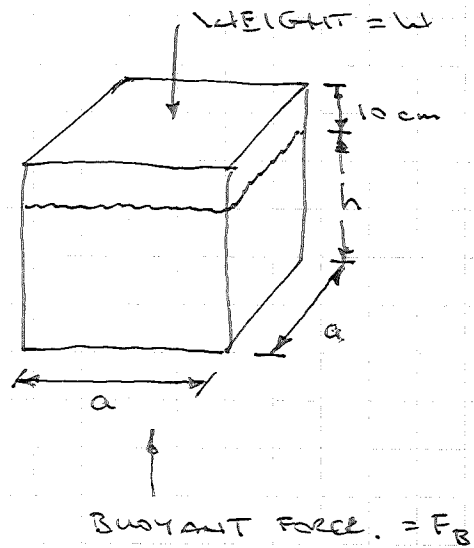
$$\therefore y_{cp} = \bar{y} + \frac{I}{A\bar{y}} = 2.437 \text{ m}$$

$$\sum M_A = (F_R)(4.569 - (3.655 - y_{cp})) - (W)(1.523) = 0$$

3.357

$$\therefore W = \frac{219,615.5 \text{ N}}{4.412} = 49,774 \text{ lb}$$

#3 (3-85)



$$\sum F_y = 0 \text{ so } W = F_B$$

$$\text{OR } \rho_{\text{BODY}} g V_{\text{TOTAL}} = \rho_{\text{FLUID}} g V_{\text{SUBMERGED}}$$

$$\therefore \frac{V_{\text{SUBMERGED}}}{V_{\text{TOTAL}}} = \frac{\rho_{\text{BODY}}}{\rho_{\text{FLUID}}}$$

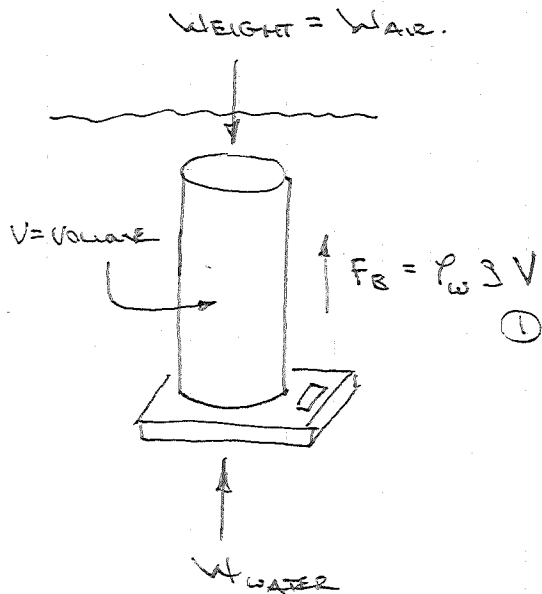
$$\frac{h \times a \times a}{(h + 0.1) \times a \times a} = \frac{h}{h + 0.1} = \frac{\rho_{\text{ICE}}}{\rho_{\text{WATER}}}$$

$$\text{ALSO } \frac{\rho_{\text{ICE}}}{\rho_{\text{WATER}}} = \frac{(SG_{\text{ICE}})(\rho_w)}{(SG_{\text{WATER}})(\rho_w)} = \frac{SG_{\text{ICE}}}{SG_{\text{WATER}}}$$

$$\text{NOW } \frac{h}{h + 0.1} = \frac{0.92}{1.025}$$

$$\therefore h = 0.876 \text{ m}$$

#4 (3-83)



$$\downarrow \sum F_y = W_{AIR} - W_{WATER} - F_B = 0$$

$$\text{SO } F_B = W_{AIR} - W_{WATER}$$

$$\text{AND } \rho_w \int V = \frac{W_{AIR} - W_{WATER}}{\text{MEASURED SO KNOWN.}}$$

NOTE:  $V = V_{FAT} + V_{MUSCLE}$

$$\text{ALSO: } x_{FAT} = \frac{V_{FAT}}{V} \quad \text{AND } x_{MUSCLE} = \frac{V_{MUSCLE}}{V}$$

$$\text{OR } x_{MUSCLE} = (1 - x_{FAT})$$

$$V_{FAT} = x_{FAT} V \quad \text{OR} \quad V_{MUSCLE} = (1 - x_{FAT}) V$$

2 ALSO:  $m = m_{FAT} + m_{MUSCLE}$

AND:  $m = \rho V$  (IN GENERAL).

SO 2 BECOMES  $\rho_{BODY} V = \rho_{FAT} V_{FAT} + \rho_{MUSCLE} V_{MUSCLE}$

$$\text{OR } \rho_{BODY} V = \rho_{FAT} x_{FAT} V + \rho_{MUSCLE} (1 - x_{FAT}) V$$

CANCEL V AND SOLVE FOR  $x_{FAT}$  ...

$$\rho_{BODY} = \rho_{FAT} x_{FAT} + \rho_M - \rho_M x_{FAT}$$

$$\rho_{BODY} - \rho_M = x_{FAT} (\rho_{FAT} - \rho_M)$$

$$\therefore x_{FAT} = \frac{\rho_{BODY} - \rho_{MUSCLE}}{\rho_{FAT} - \rho_{MUSCLE}} \quad \left( \text{OR } x_{FAT} = \frac{\rho_{MUSCLE} - \rho_{BODY}}{\rho_{MUSCLE} - \rho_{FAT}} \right)$$