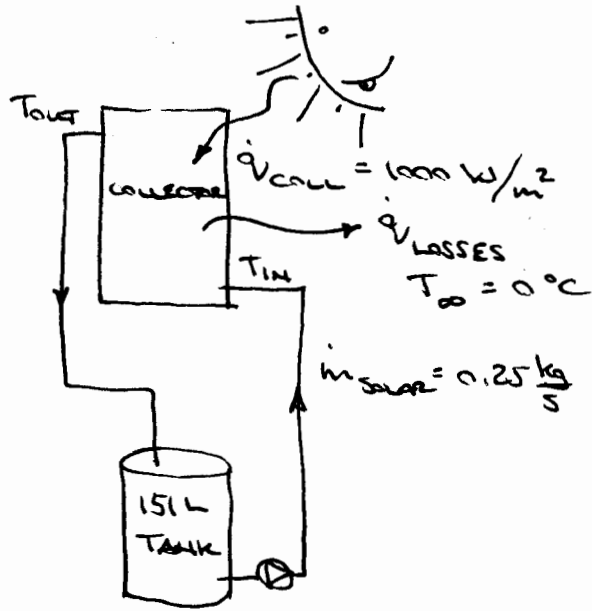


# SOLAR STORAGE WARMING TIME SOLUTION



$$\dot{q}_{\text{WATER}} = \dot{q}_{\text{COLL}} - \dot{q}_{\text{LOSSES}}$$

$$\dot{q}_{\text{LOSSES}} = \frac{T_{\text{COLL}} - T_{\infty}}{R_0}$$

$$T_{\text{COLL}} = \frac{T_{\text{OUT}} + T_{\text{IN}}}{2}$$

$$\dot{q}_{\text{WATER}} = \dot{m}_{\text{SOLAR}} C_p (T_{\text{OUT}} - T_{\text{IN}})$$

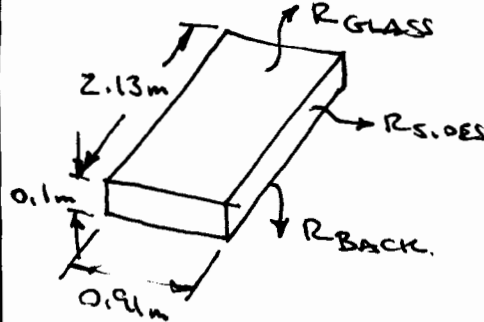
ALSO

$$\dot{q}_{\text{WATER}} = m_{\text{TANK}} C_p \frac{(T_{\text{END}} - T_{\text{START}})}{t_{\text{WARMING}}}$$

NOTE THIS IS A CONSTANT POWER PROBLEM.  
IT IS NOT LIKE THE EGG WHERE THERE IS AN UPPER LIMIT ON THE EGG'S TEMPERATURE ( $100^{\circ}\text{C}$ ).

$$\text{SO } \frac{T - T_{\infty}}{T_i - T_{\infty}} = e^{-\frac{hAs}{\rho V C_p} t} \quad \text{DOES NOT APPLY.}$$

ESTABLISH  $R_0$  FOR THE COLLECTOR.



$$A_{\text{GLASS}} = A_{\text{BACK}} = 1.93 \text{ m}^2$$

$$A_{\text{SIDES}} = 0.161 \text{ m}^2$$

$$R_0 = \frac{1}{\frac{1}{R_{GL}} + \frac{1}{R_{SS}} + \frac{1}{R_{BA}}}$$

$$R_{\text{GLASS}} = \frac{L}{KA} = \frac{6 \times 10^{-3}}{0.96 \times 1.93} = 0.003 \frac{^{\circ}\text{C}}{\text{W}} \text{ (SMALL)}$$

$$R_{\text{BACK}} = \frac{70 \times 10^{-3}}{0.04 \times 1.93} = 0.907 \frac{^{\circ}\text{C}}{\text{W}} \text{ (BIG)}$$

$$R_{\text{SIDES}} = \frac{70 \times 10^{-3}}{0.04 \times 0.161} = 2.87 \frac{^{\circ}\text{C}}{\text{W}} \text{ (BIG)}$$

$$\therefore R_0 = 0.0029 \frac{^{\circ}\text{C}}{\text{W}}$$

$R_{\text{GLASS}} \gg R_{\text{BACK}}$  OR  $R_{\text{SIDES}}$   
 $\therefore$  ONE CAN APPROXIMATE THE HEAT LOSS BY JUST USING THE GLASS!

BUT I TUSSED SOMETHING  
AHH!

THE COLLECTIVE AIR FILLS  $h_i$  &  $h_o$ .

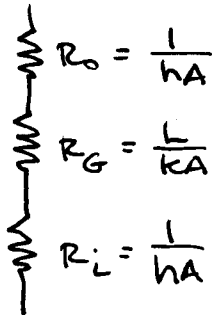
BAD ME ... I BETTER DO THIS.

NOTE

$$\dot{q}_{\text{COLL}} = 1000 \frac{\text{W}}{\text{m}^2} \times 1.93 \text{ m}^2$$

$$\dot{q}_{\text{COLL}} = 1930 \text{ W}$$

REALLY THE GLASS LOOKS LIKE ...



ASSUME  $h_o = 25 \text{ W/m}^2 \cdot ^\circ\text{C}$  (SLIGHTLY MOVING AIR)  
 $h_i = 2 \text{ W/m}^2 \cdot ^\circ\text{C}$  (ALMOST STILL AIR)

$$\begin{aligned} \text{SO } R_{\text{GLASS}} &= \frac{1}{(25)(1.93)} + 0.003 + \frac{1}{(2)(1.93)} \\ &= 0.021 + 0.003 + 0.259 \\ &= 0.283 \frac{^\circ\text{C}}{\text{W}} \end{aligned}$$

GOODNESS THE AIR MAKES A BIG DIFFERENCE!

$$\text{NOW: } \dot{q}_{\text{LOSSES}} = \frac{T_{\text{COLL}} + T_{\text{AMB}}}{R_o}$$

HEY DOESN'T  $T_{\text{COLL}}$  CHANGE AS THE TANK WARMS?

WHAT TO DO?

SIMPLE ... SAY

$$\left. \begin{aligned} T_{\text{START}} &= 10^\circ\text{C} \\ T_{\text{END}} &= 90^\circ\text{C} \end{aligned} \right\} T_{\text{COLL}} = \frac{90 + 10}{2} = 50^\circ\text{C}$$

AS THE WATER & COLLECTOR TEMPERATURE RISE IS MORE OR LESS LINEAR OVER TIME ( $\dot{q}_s = \text{CONST.}$ ) THIS IS MORE OR LESS A TRUE AVERAGE CONDITION.

$$\text{SO ... } \dot{q}_{\text{LOSSES}} = \frac{50 - 0}{0.283} = 176.7 \text{ WATTS}$$

$$\begin{aligned} \therefore \dot{q}_{\text{WATER}} &= \dot{q}_{\text{COLL}} - \dot{q}_{\text{LOSSES}} = 1930 - 176.7 \\ &= 1,753.3 \text{ WATTS.} \end{aligned}$$

$$\begin{aligned} \text{NOW } t_{\text{WARMING}} &= m_{\text{TANK}} C_p \frac{(T_{\text{END}} - T_{\text{START}})}{\dot{q}_{\text{WATER}}} \\ &= 151 \text{ kg} \cdot 4181 \cdot \frac{(90 - 10)}{1,753.3} \\ &= 28,806 \text{ s} \\ &= 8.0 \text{ HOURS.} \end{aligned}$$

THAT IS ASSUMING NO WATER FROM THE TANK IS USED.

COLLECTOR EFFICIENCY

$$\eta_{\text{COLL}} = \frac{\text{OUTPUT}}{\text{INPUT}} = \frac{1,753.3}{1,930} = 90.8\%$$

VERY GOOD.